



Article Side

Discuss the Application of Binomial Theorem by [Mathqa22](#)

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Introduction to Binomial distribution:

The Binomial distribution is a discrete probability distribution. Binomial distribution is also known as the "Bernoulli distribution" after the Swiss mathematician James Bernoulli (1654-1705) who discovered it in 1700 and was published in 1713.

Assumptions of Binomial distribution:

N, the number of trials is finite.

There are only two possible outcomes in each trial arbitrarily called success and failure.

The probability of success in each trial is p and is constant for each trial. q=1-p is then termed as the probability of failure and is constant for each trial.

All the "n" trials are independent.

The trials satisfying these assumptions are called Bernoulli trials.

Probability of Binomial Distribution:

Let us find the probability of getting "x" success in "n" trials, where the probability of getting success is "p", the probability of getting failure is "q". Let us denote success by "s" and failure by "f". Therefore the probability of x success and consequently n-x failures in the sequence of n trials.

$$p(sfssfss\dots fs)$$

where "s" occurs "x" times

$$f \text{ occurs "n-x" times } p(sfssfss\dots f) = p(s).p(f).p(s).p(s)\dots p(f) = p.q.p\dots q = p^x q^{n-x}$$

But in "n" trials the total number of possible ways of getting "x" success in n trials is ${}^n C_x$

By additive law of probability

$$P(X=x) = {}^n C_x p^x q^{n-x}$$

where $x = 0, 1, 2, \dots, n$

The probability distribution is called the Binomial distribution.

Total probability:

$$\text{Total probability} = \sum_{x=0}^n {}^n C_x p^x q^{n-x}$$

$$p^n + nC_1 p^{n-1} q + nC_2 p^{n-2} q^2 + \dots + nC_n q^n$$

$$= (p + q)^n$$

$$= 1^n = 1$$

$$= 1$$

Mean of Binomial Distribution:

Let us find the probability of getting "x" success in "n" trials, where the probability of getting success is "p", the probability of getting failure is "q". Let us denote success by "s" and failure by "f".

Therefore the probability of x success and consequently n-x failures in the sequence of n trials.

$$p(sfsfsf \dots fs)$$

where "s" occurs "x" times

f occurs "n-x" times

$$p(sfsfsf \dots f) = p(s) \cdot p(f) \cdot p(s) \cdot p(s) \dots p(f)$$

$$p \cdot q \cdot p \cdot p \dots q$$

But in "n" trials the total number of possible ways of getting "x" success is nC_x

By additive law of probability

$$P(X=x) = nC_x p^x q^{n-x}$$

where $x = 0, 1, 2, \dots, n$

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Total probability:

$$\text{Total probability} = \sum_{x=0}^n nC_x p^x q^{n-x}$$

$$= nC_0 p^0 q^n + nC_1 p^1 q^{n-1} + \dots + nC_n p^n q^0$$

$$= (p + q)^n$$

$$= 1^n = 1$$

$$= 1$$

Variance of Binomial Distribution:

Let us find the probability of getting "x" success in "n" trials, where the probability of getting success is "p", the probability of getting failure is "q". Let us denote success by "s" and failure by "f".

Therefore the probability of x success and consequently n-x failures in the sequence of n trials.

$$p(sfsfsf \dots fs)$$

where "s" occurs "x" times

f " occurs "n-x" times

$$p(\text{sfssf}\dots\text{f}) = p(s).p(f).p(s).p(s)\dots p(f) = p.q.p.p\dots q = p^x q^{n-x}$$

But in "n" trials the total number of possible ways of getting "x" success is ${}^n C_x$

By additive law of probability

$$P(X=x) = {}^n C_x p^x q^{n-x}$$

where $x = 0, 1, 2, \dots, n$

The probability distribution is called the Binomial distribution.

$$\text{Total probability} = \sum_{x=0}^n {}^n C_x p^x q^{n-x}$$

$$= {}^n C_0 p^0 q^n + {}^n C_1 p^1 q^{n-1} + \dots + {}^n C_n p^n q^0$$

$$= (q + p)^n$$

$$= (1)^n = 1$$

$$= 1$$

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